

Probabilistic damage stability verification on *Passenger Yacht* *Code motor yacht*

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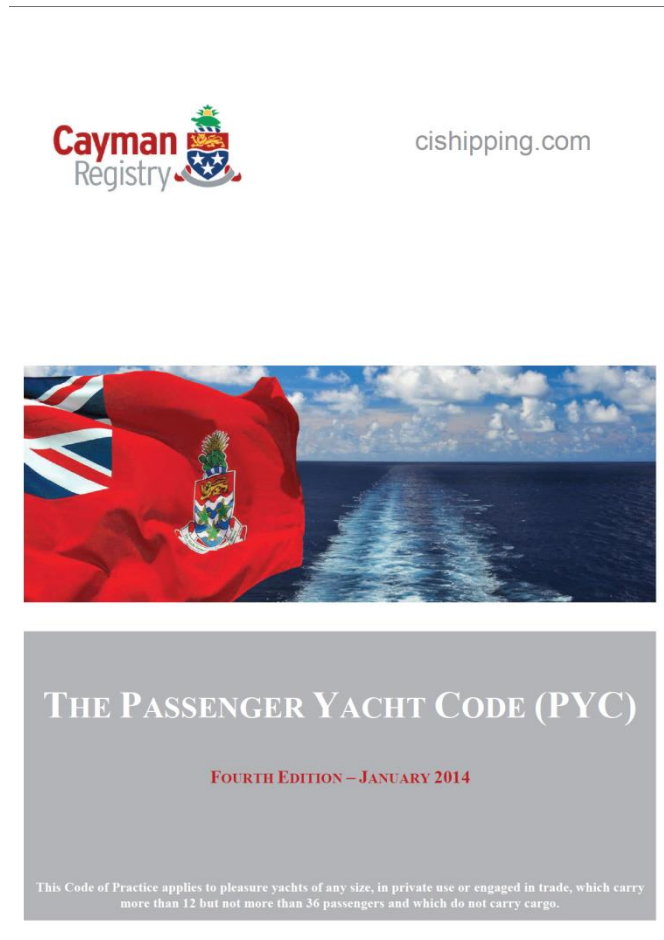
La Spezia, February 10th, 2015

Content

- Passenger Yacht Code
- Damage Stability
- Deterministic Approach
- Probabilistic Approach
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Passenger Yacht Code

- SOLAS 90
- International conventions to enormous
- PYC – equivalent to SOLAS 90 for yachts



Damage Stability

Deterministic approach

- Assumed damage scenarios
- Up to two adjacent compartments flooded

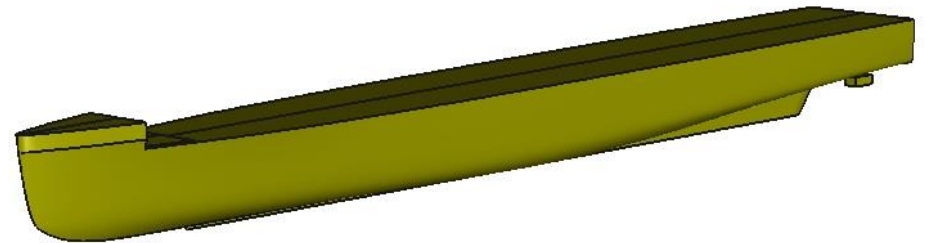
Probabilistic approach

- Statistical evidence
- More realistic approach

Objective: most effective ship subdivision

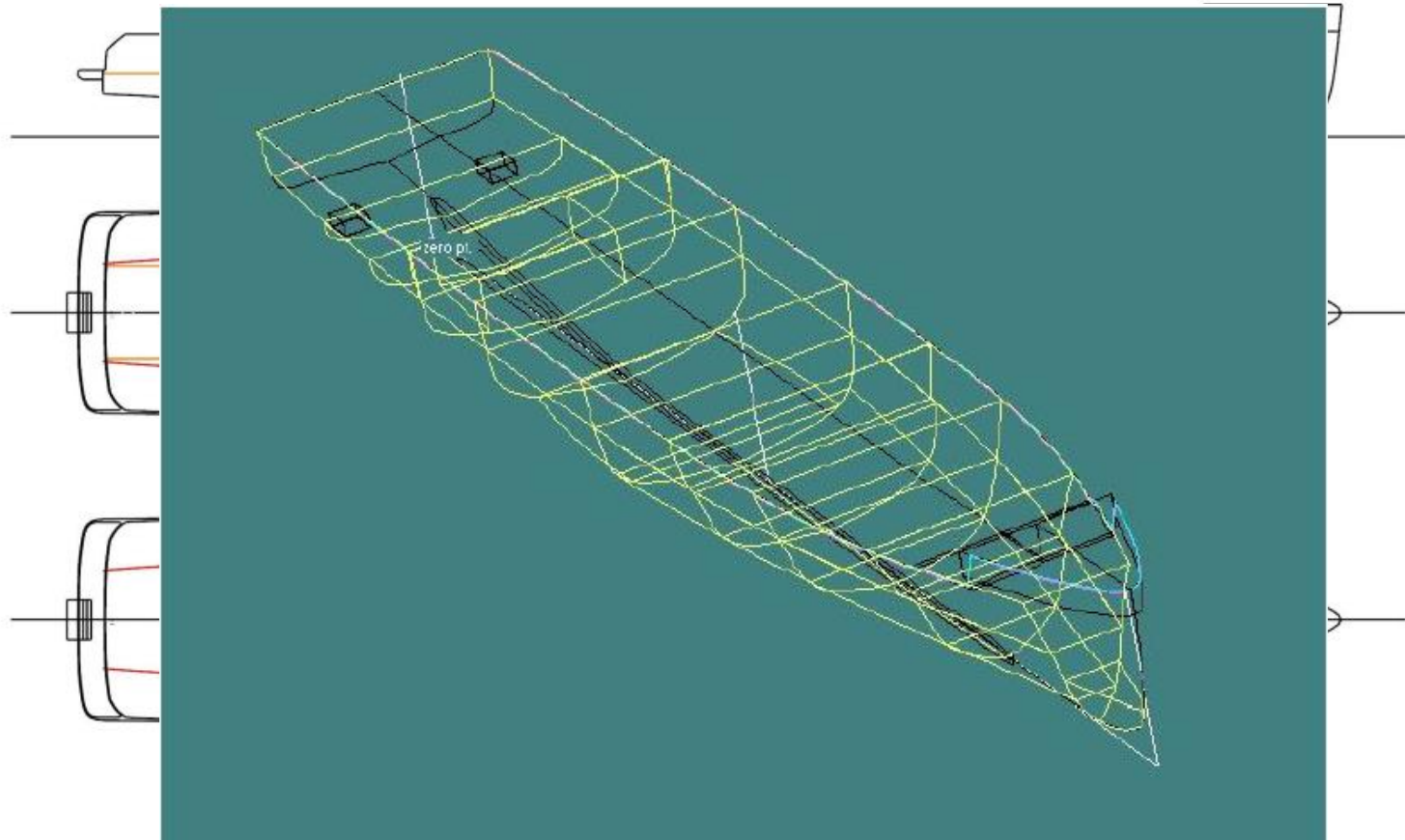
Case Study - 92 m motor yacht

- Moulded dimensions:
 - LOA = 92 m
 - B = 15,8 m
 - D = 7,7 m
- Displacement of 3178 t
- Number of crew: 28
- Number of passengers: 34



Deterministic Approach

Water-tight compartment plan plan Hydromax



Deterministic Approach

Intact Stability Calculations

- Departure condition – 100% consumables
- Half load condition – 50% consumables
- Arrival condition – 10% consumables

Results

	CODE	Criteria	Value	Units	Actual	Status	Margin %
1.50	11.2.1.1 Monohulls	11.2.1.1.1a Area 0 to 30				Pass	
		from the greater of					
		spec. heel angle	0	deg	0		
		to the lesser of					
		spec. heel angle	30	deg	30		
		angle of vanishing stability	55.8	deg			
		shall not be less than (\geq)	3.1513	m.deg	14.4122	Pass	357.34
1.00	11.2.1.1 Monohulls	11.2.1.1.1b Area 0 to 40				Pass	
		from the greater of					
		spec. heel angle	0	deg	0		
		to the lesser of					
		spec. heel angle	40	deg	40		
		first downflooding angle	n/a	deg			
		angle of vanishing stability	55.8	deg			
shall be greater than ($>$)	5.1566	m.deg	22.1786	Pass	330.1		
0.50	11.2.1.1 Monohulls	11.2.1.1.2 Area 30 to 40				Pass	
		from the greater of					
		spec. heel angle	30	deg	30		
		to the lesser of					
		spec. heel angle	40	deg	40		
		first downflooding angle	n/a	deg			
		angle of vanishing stability	55.8	deg			
shall be greater than ($>$)	1.7189	m.deg	7.7664	Pass	351.82		
0.00	11.2.1.1 Monohulls	11.2.1.1.3 Max GZ at 30 or greater in the range from the greater of				Pass	
		spec. heel angle	30	deg	30		
		to the lesser of					
		angle of max. GZ	30.9	deg	30.9		
		first downflooding angle	n/a	deg			
		shall be greater than ($>$)	0.2	m	0.829	Pass	314.5
		Intermediate values					
angle at which this GZ occurs		deg	30.9				
-0.50	11.2.1.1 Monohulls	11.2.1.1.4 Angle of maximum GZ				Pass	
		shall not be less than (\geq)	25	deg	30.9	Pass	23.64
-1.00	11.2.1.1 Monohulls	11.2.1.1.5 Initial GMt				Pass	
		spec. heel angle	0	deg			
		shall not be less than (\geq)	0.15	m	2.089	Pass	1292.67

Probabilistic Approach

Required index R

- Formula based on length and number of passengers

$$R = 1 - \frac{5000}{L_s + 2,5N + 15252}$$

Attained index A

- Represents a measure for the probability of survival

$$A = \sum_i p_i v_i r_i s_i$$

Attained index \geq **R**equired index

Probabilistic Approach

Attained index A

- Deepest subdivision draft, d_s
- Light service draft, d_l
- Partial subdivision draft, d_p



$$A = 0.4A_s + 0.4A_p + 0.2A_l$$

$$A_l, A_p \text{ and } A_s \geq 0,9 R$$

Probabilistic Approach

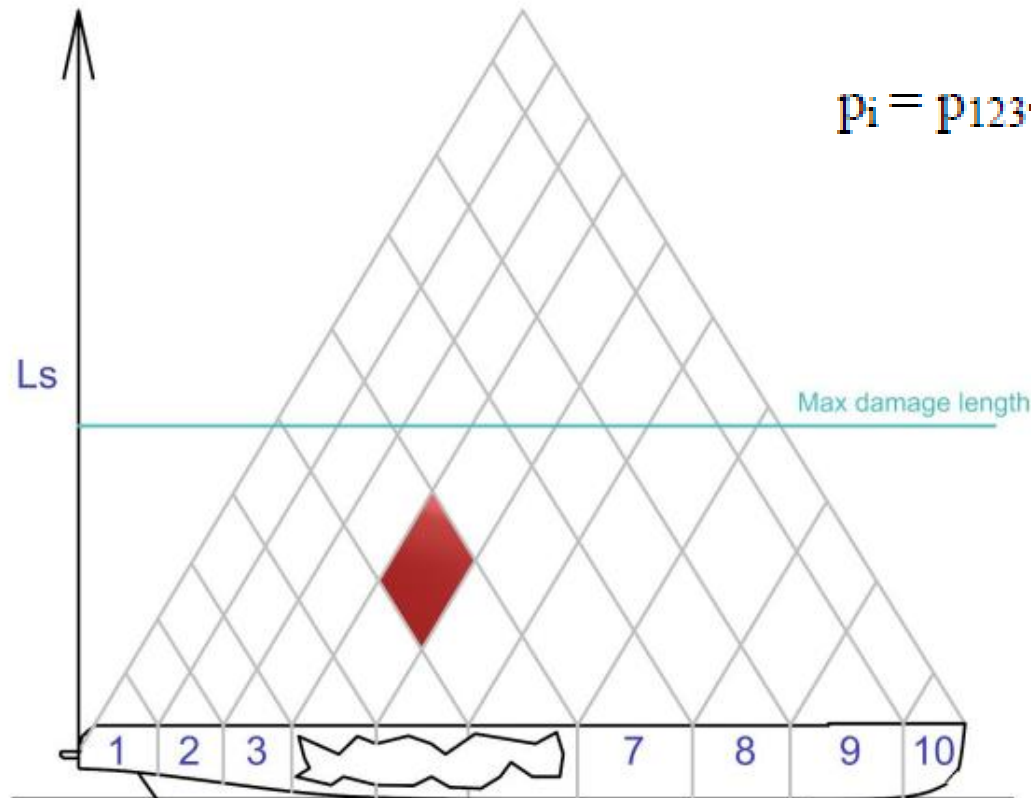
Attained index A

- p_i – probability of a damage situation
- s_i – probability of a ship surviving the damage
- v_i – vertical extent of the damage
- r_i – transversal extent of the damage



Probabilistic Approach

Calculating Factor p_i



Probabilistic Approach

Calculating factor s_i

- *Range* – range of positive righting levers, in degrees, measured from the equilibrium heeling angle and the angle where the righting lever becomes negative
- GZ_{max} – maximum positive righting lever

$$s_{intermediate, i} = \left[\frac{GZ_{max}}{0,05} * \frac{Range}{7} \right]^{\frac{1}{4}}$$

$$s_{final, i} = K \left[\frac{GZ_{max}}{0,012} * \frac{Range}{16} \right]^{\frac{1}{4}}$$

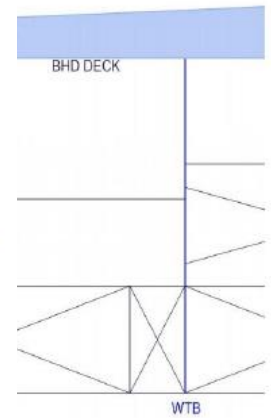
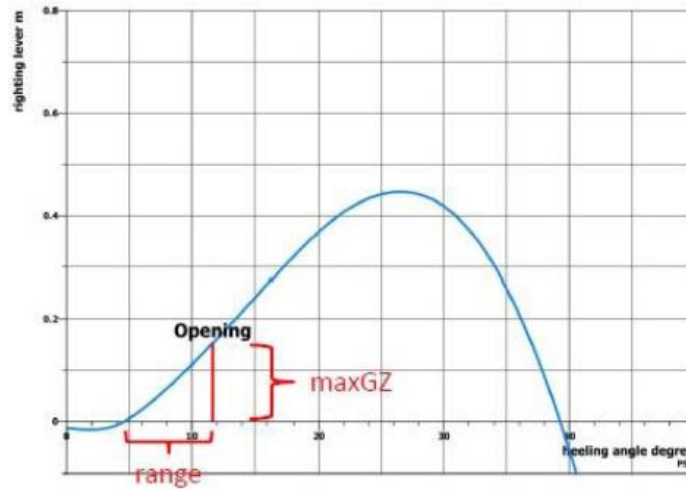
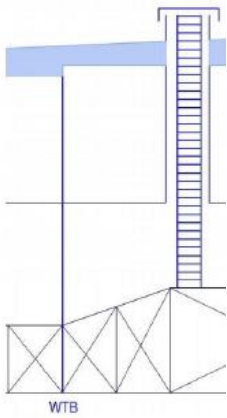
$$s_{mom, i} = \frac{(GZ_{max} - 0,04) * Displacement}{M_{heel}}$$

$$s_i = \text{mimumum} \{ s_{intermediate, i} \text{ OR } s_{final, i} * s_{mom, i} \}$$

Probabilistic Approach

Calculating factor s_i

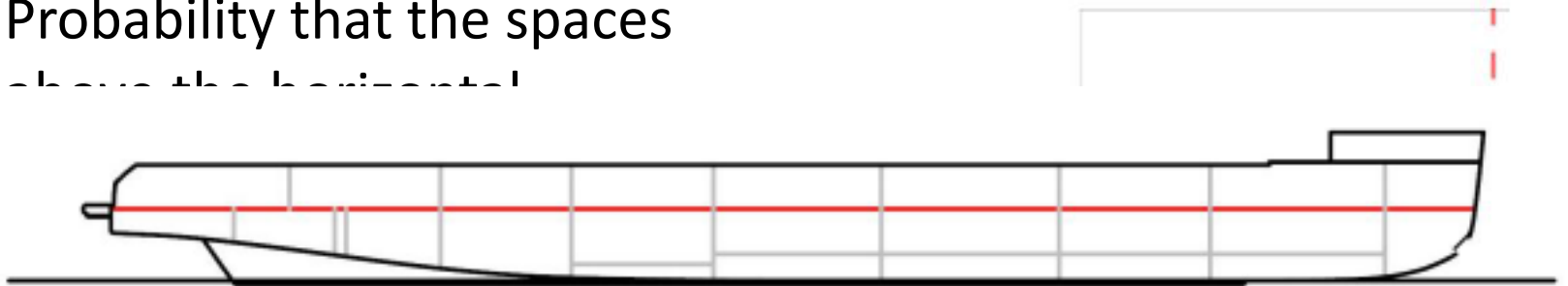
Opening escapes



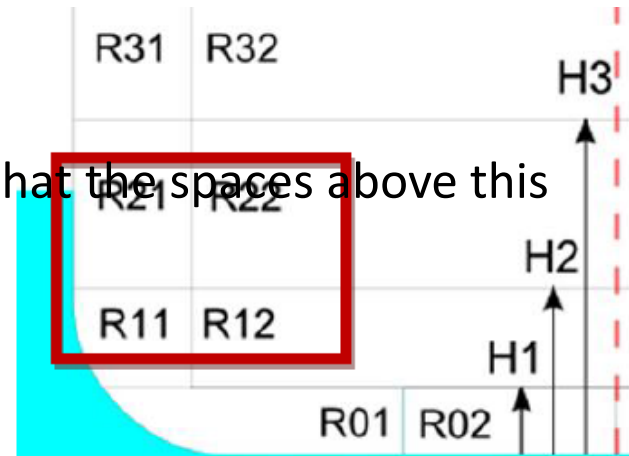
Probabilistic Approach

Calculating factor v_i

- Probability that the spaces above the horizontal



Watertight deck at 4,74 m – probability that the spaces above this deck will not be flooded



Final Results of Attained Index A

Compartment	x1	x2	Damage length [m]	T=3,985	T=4,114	T=4,2
1 compartment flooded						
1	0	8,29	8,29	0,0540	0,0495	0,0524

0,9R	AI	Ap	Ad
0,6120	0,8447	0,7853	0,8300

y	12,01	99,01	10,2	0,0421	0,0414	0,0421
10	86,07	92,65	6,58	0,0407	0,0374	0,0395
2 compartments flooded						
1 and 2	0	15,11	15,11	0,0364	0,0334	0,0353
2 and 3	8,29	22,27	13,98	0,0295	0,0271	0,0287
3 and 4	15,11	31,07	15,96	0,0337	0,0309	0,0327
4 and 5	22,27	44,67	22,4	0,0423	0,0388	0,0410
5 and 6	31,07	55,87	24,8	0,0469	0,0423	0,0447
6 and 7	41,07	71,4	30,33	0,0539	0,0360	0,0380
7 and 8	55,87	75,87	20	0,0397	0,0365	0,0385
8 and 9	64,08	86,07	21,99	0,0433	0,0398	0,0420
9 and 10	75,87	92,65	16,78	0,0415	0,0381	0,0403
3 compartments flooded						
1, 2 and 3	0	22,27	22,27	0,0093	0,0101	0,0106
2, 3 and 4	8,29	31,07	22,78	0,0075	0,0081	0,0086
3, 4 and 5	15,11	44,67	29,56	0,0062	0,0067	0,0071
4, 5 and 6	22,27	55,87	33,6	0,0053	0,0057	0,0061
5, 6 and 7	31,07	71,4	40,63	0,0046	0,0049	0,0052
6, 7 and 8	41,07	86,07	45,78	0,0041	0,0043	0,0045
7, 8 and 9	55,87	92,65	37,36	0,0035	0,0037	0,0039
8, 9 and 10	64,08	92,65	28,57	0,0057	0,0062	0,0065
4 compartments flooded						
1, 2, 3 and 4	0	31,07	31,07	0,0030	0,0033	0,0035
2, 3, 4 and 5	8,29	44,67	36,38	0,0021	0,0023	0,0024
3, 4, 5 and 6	15,11	55,87	40,76	0,0005	0,0005	0,0005
4, 5, 6 and 7	22,27	64,08	41,81	0,0002	0,0002	0,0002
5, 6, 7 and 8	31,07	75,87	44,8	0,0000	0,0000	0,0000
6, 7, 8 and 9	41,07	86,07	45,78	0,0000	0,0000	0,0000
7, 8, 9 and 10	55,87	92,65	37,36	0,0000	0,0000	0,0000
6 compartments flooded						
1, 2, 3, 4, 5 and 6	0	55,87	55,87	0,0000	0,0000	0,0000
2, 3, 4, 5, 6 and 7	8,29	64,08	55,79	0,0000	0,0000	0,0000
3, 4, 5, 6, 7 and 8	15,11	75,87	60,76	0,0000	0,0000	0,0000
4, 5, 6, 7, 8 and 9	22,27	86,07	65,73	0,0000	0,0000	0,0000
5, 6, 7, 8, 9 and 10	31,07	92,65	60,7	0,0000	0,0000	0,0000
AI				0,8447		
Ap					0,7853	
As						0,8300

AI, Ap and Ad ≥ 0,9 R

$$A = 0.4As + 0.4Ap + 0.2AI$$

A (0.815037) > R (0.680054)

Comparison of Results

Lloyd's Register

$$R = 0,68$$

$$A = 0,82163$$

Passenger Yacht Code

$$R = 0,68$$

$$A = 0,81054$$

Difference of 0,8 %

Conclusions

- It is possible and safe to use this approximation for a rough estimation of the indices A and R
- Deterministic approach still the most reliable, but can be reassessed when it becomes too onerous
- Probabilistic approach considers a large number of damage cases and requires more work but it can result in a more flexible bulkhead arrangement
- PYC and probabilistic method have been well received giving more flexibility on general arrangement and lifesaving appliances which are of high importance in the yacht industry